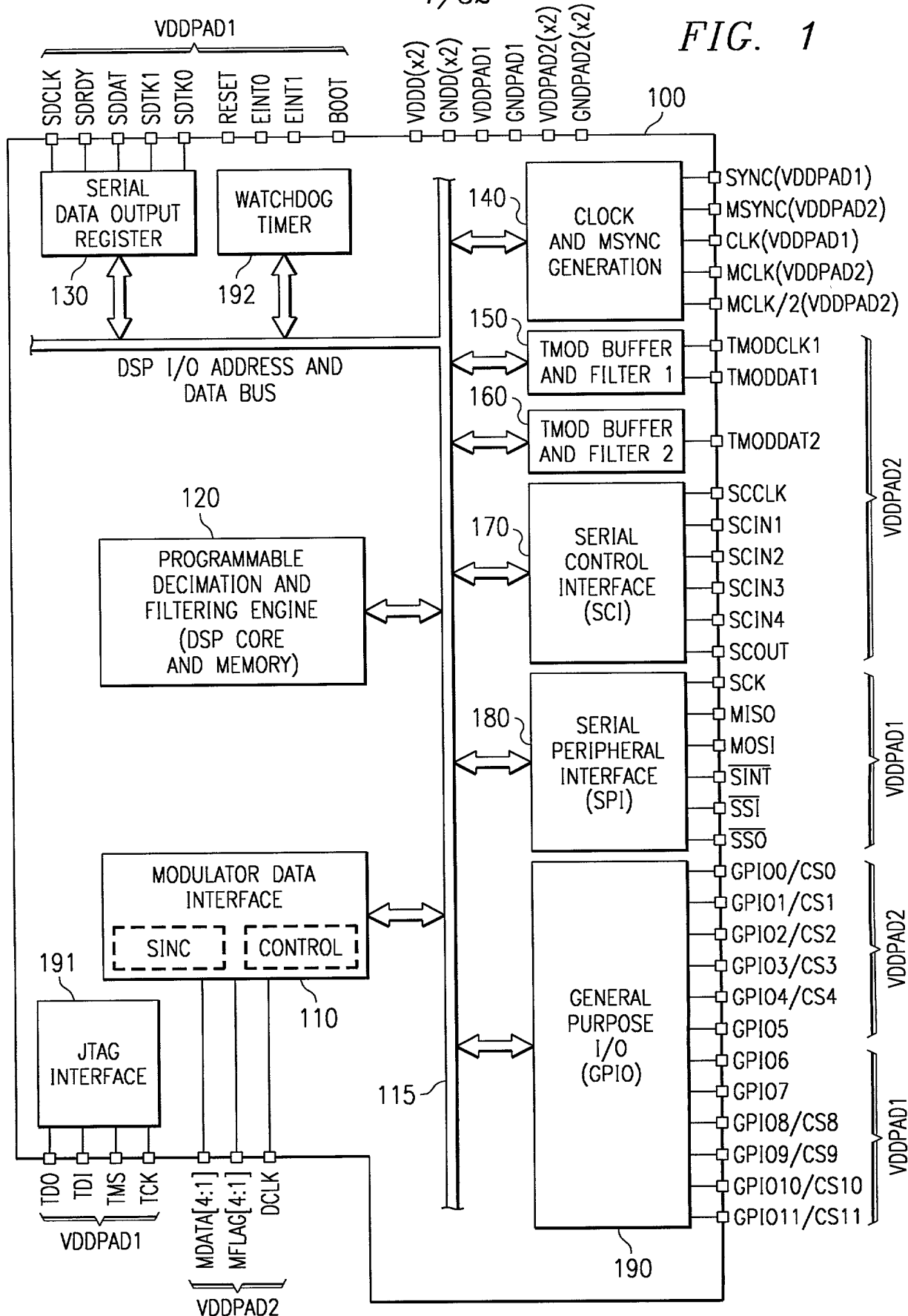
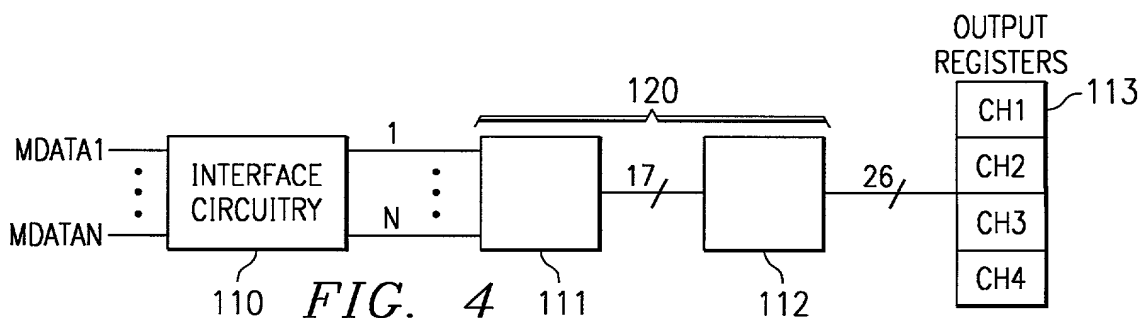
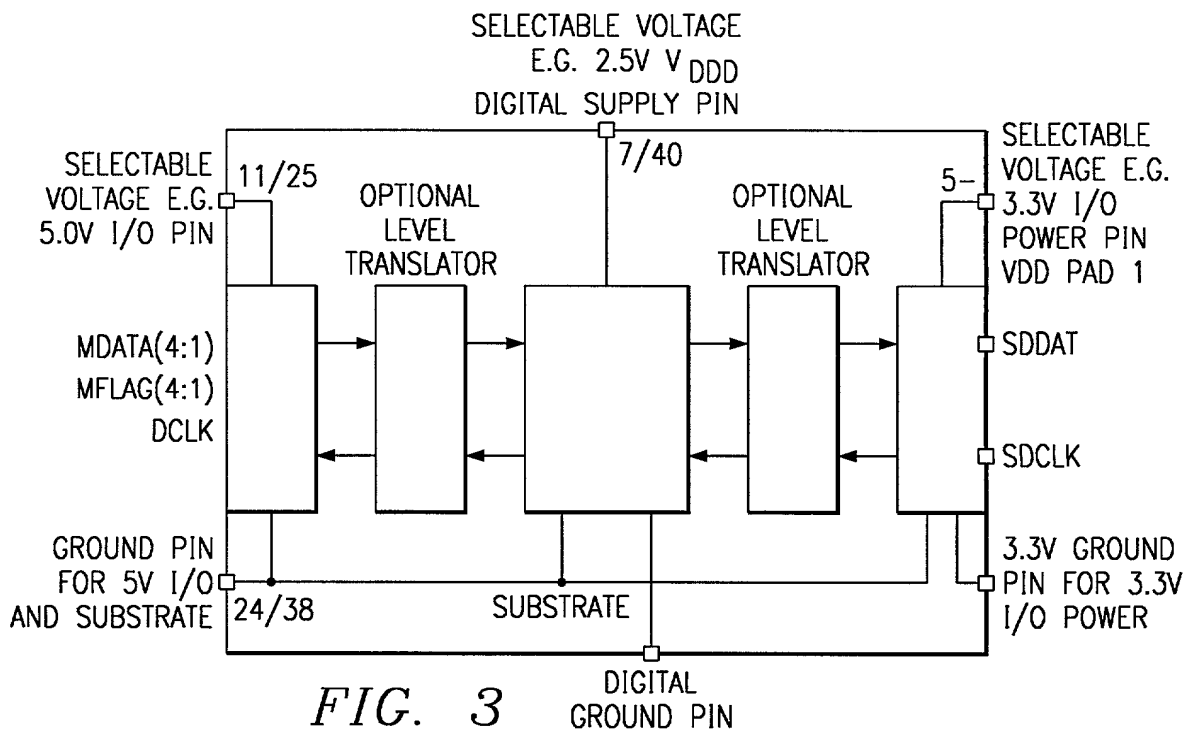
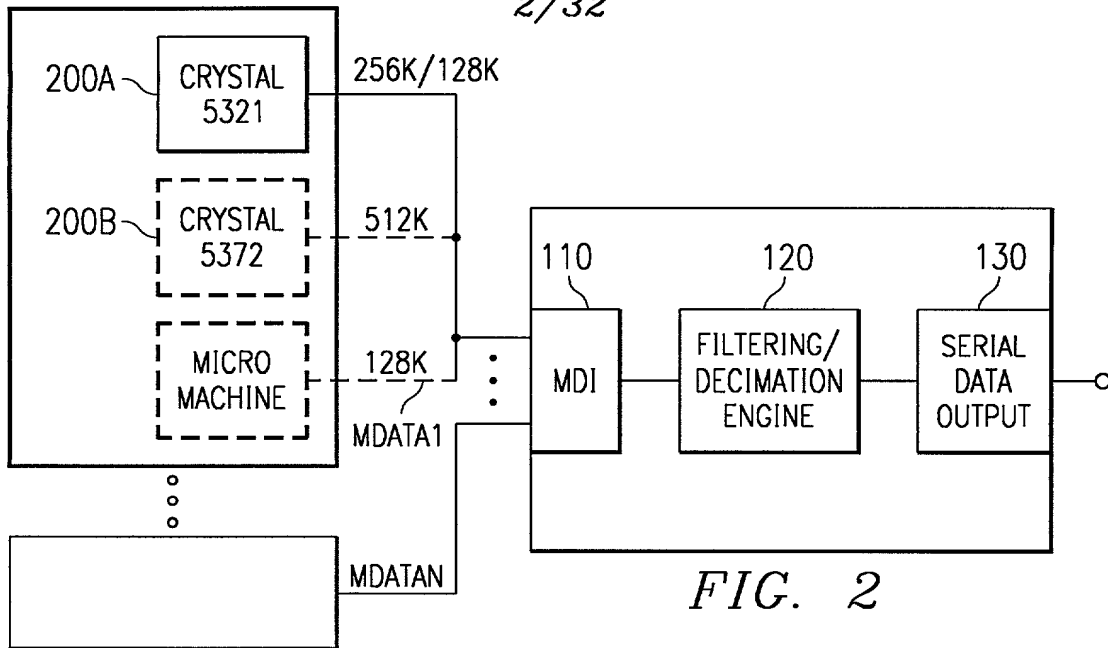


FIG. 1





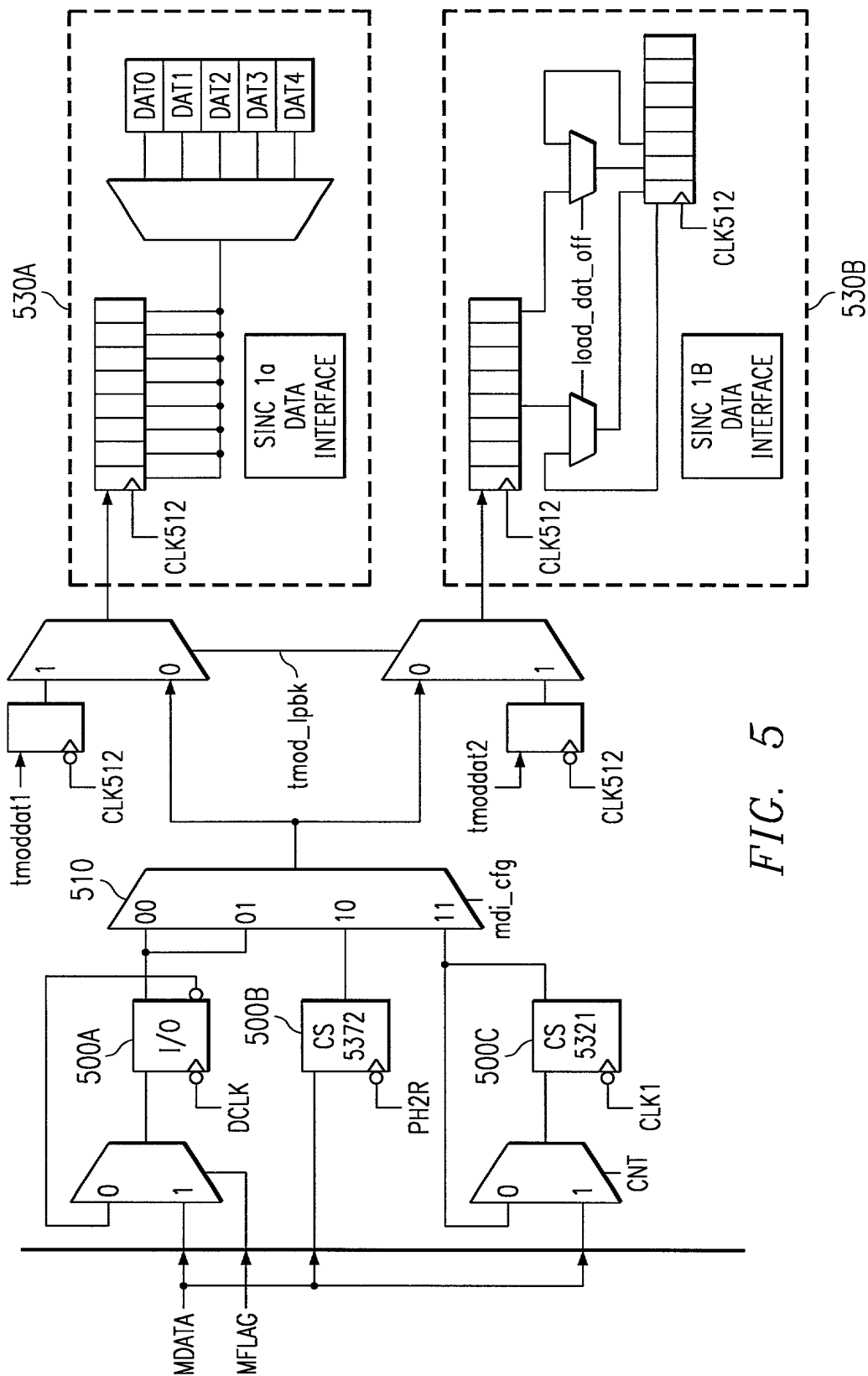


FIG. 5

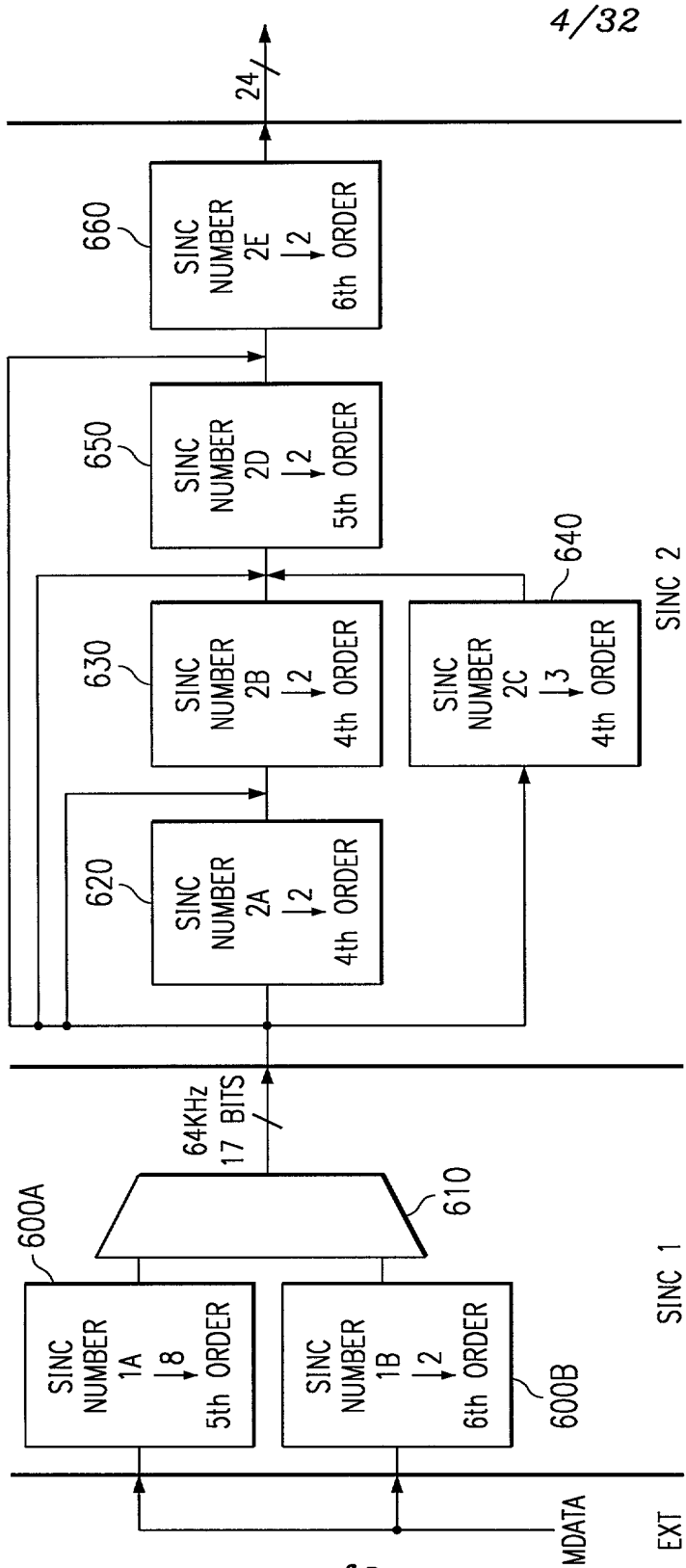


FIG. 6

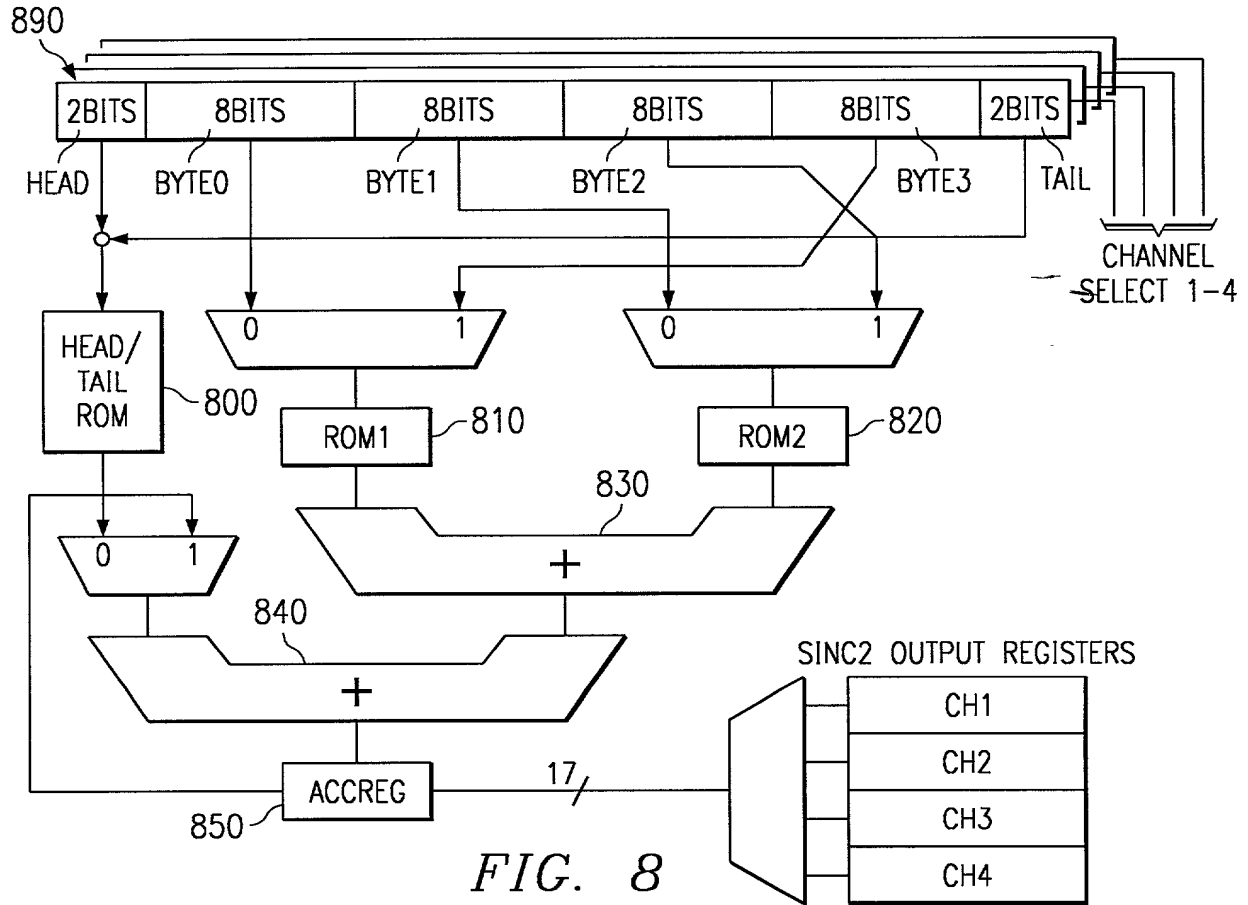
• FIFTH ORDER DECIMATE BY 8:

$$H(z) = \left( \frac{1-z^{-8}}{1-z^{-1}} \right)^5$$

FIG. 7

• 36 TAP FIR FILTER. HALF OF THE (SYMMETRIC) COEFFICIENTS

$h_0 = 1$	$h_1 = 5$	$h_2 = 15$	$h_3 = 35$	$h_4 = 70$	$h_5 = 126$	$h_6 = 210$	$h_7 = 330$	$h_8 = 490$
$h_9 = 690$	$h_{10} = 926$	$h_{11} = 1190$	$h_{12} = 1470$	$h_{13} = 1750$	$h_{14} = 2010$	$h_{15} = 2226$	$h_{16} = 2380$	$h_{17} = 2460$



$$H(z) = \left( \frac{1-z^{-2}}{1-z^{-1}} \right)^6$$

IMPULSE RESPONSE:

$$y[n] = x[n] + 6 \cdot x[n-1] + 15 \cdot x[n-2] + 20 \cdot x[n-3] + 15 \cdot x[n-4] + 6 \cdot x[n-5] + x[n-6]$$

FIG. 9

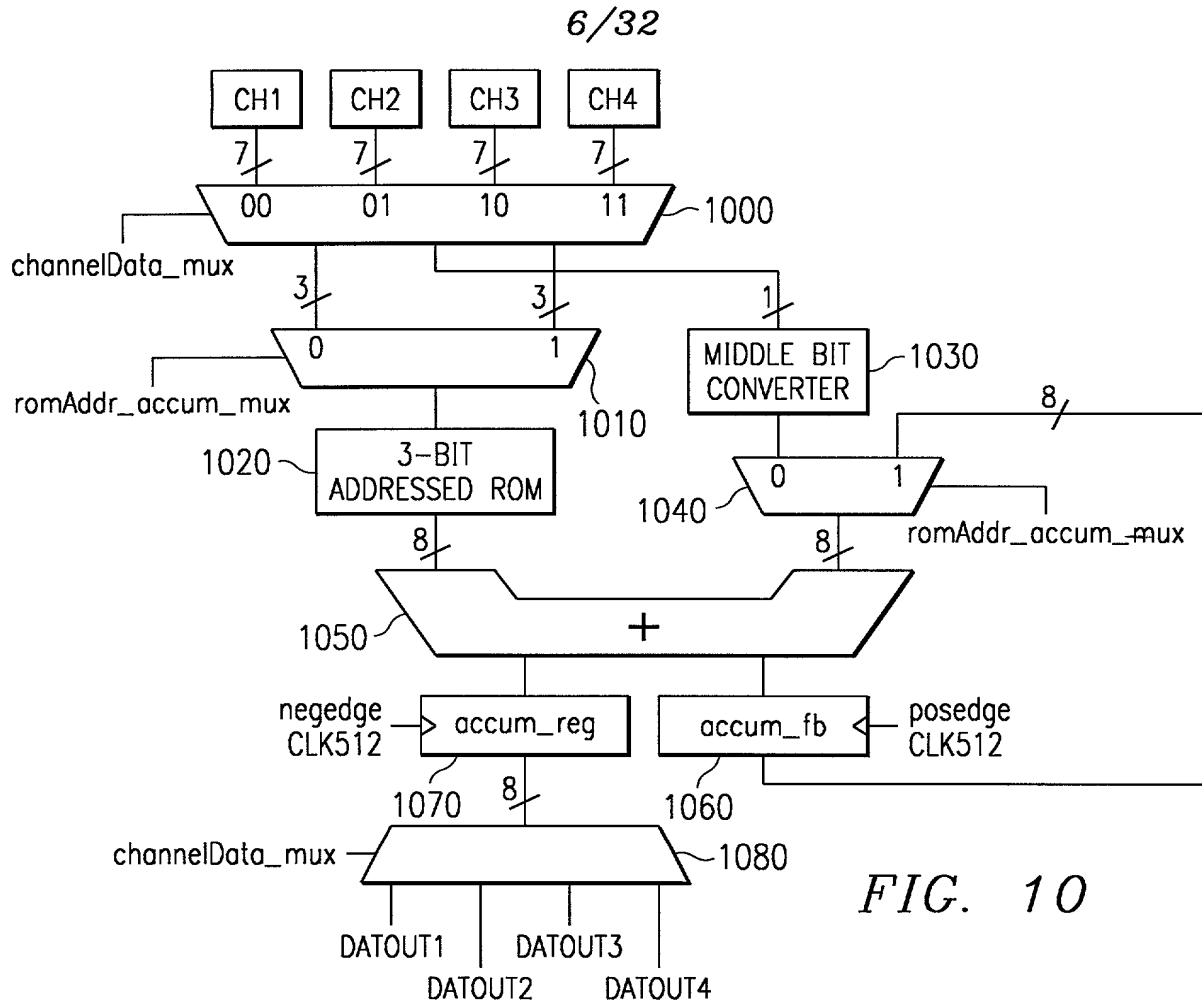


FIG. 10

FILTER NAME	SYSTEM FUNCTION	IMPULSE RESPONSE (FILTER COEFFICIENTS)
Sinc2(a) Sinc2(b)	$H(z) = \left( \frac{1-z^{-2}}{1-z^{-1}} \right)^4$	$h[n] = [1 \ 4 \ 6 \ 4 \ 1]$
Sinc2(c)	$H(z) = \left( \frac{1-z^{-3}}{1-z^{-1}} \right)^4$	$h[n] = [1 \ 4 \ 10 \ 16 \ 19 \ 16 \ 10 \ 4 \ 1]$
Sinc2(d)	$H(z) = \left( \frac{1-z^{-2}}{1-z^{-1}} \right)^5$	$h[n] = [1 \ 5 \ 10 \ 10 \ 5 \ 1]$
Sinc2(e)	$H(z) = \left( \frac{1-z^{-2}}{1-z^{-1}} \right)^6$	$h[n] = [1 \ 6 \ 15 \ 20 \ 15 \ 6 \ 1]$

FIG. 11

Sinc2(a) and Sinc2(b):

$$\begin{aligned}
 y[n] &= x[n] + 4x[n-1] + 6x[n-2] + 4x[n-3] + x[n-4] \\
 &= x[n] + 4x[n-1] + 4x[n-2] + 2x[n-2] + 4x[n-3] + x[n-4]
 \end{aligned}$$

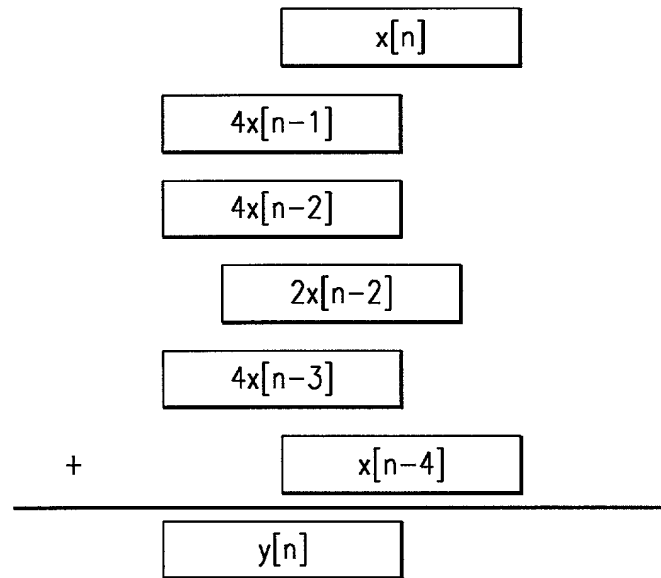


FIG. 12

Sinc2(a) and Sinc2(b):

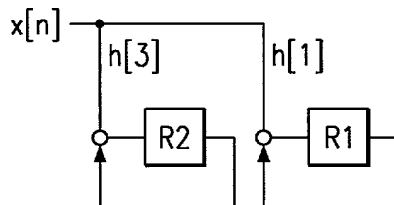


FIG. 14A

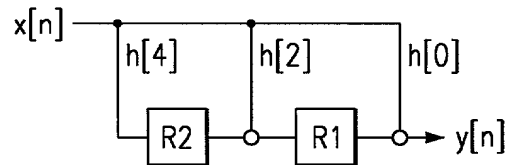


FIG. 14B

Sinc2(d):

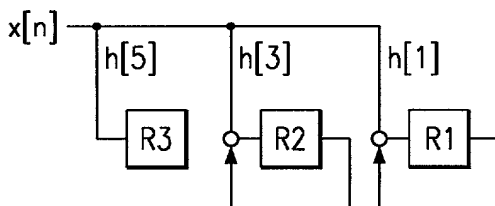


FIG. 15A

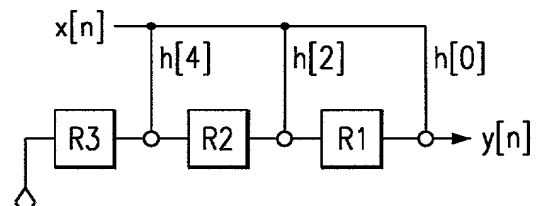
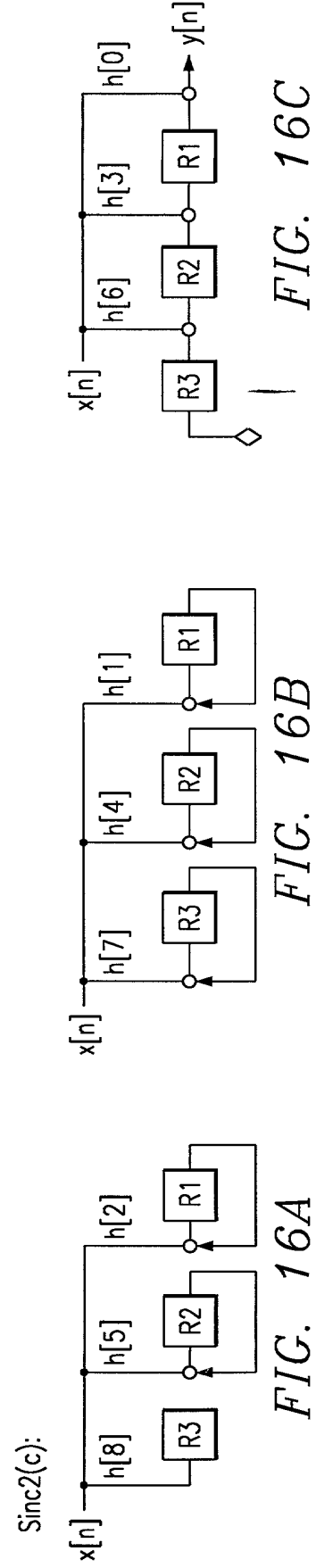


FIG. 15B

$$\text{FIG. 13A} \left\{ \begin{array}{l} \text{Sinc2(c):} \\ y[n] = x[n] + 4x[n-1] + 10x[n-2] + 16x[n-3] + 19x[n-4] + 16x[n-5] + 10x[n-6] + 4x[n-7] + x[n-8] \\ = x[n] + 4x[n-1] + [8x[n-2] + 2x[n-2]] + 16x[n-3] + [16x[n-4] + 2x[n-4]] + x[n-4] \\ + 16x[n-5] + [8x[n-6] + 2x[n-6]] + 4x[n-7] + x[n-8] \end{array} \right.$$

$$\text{FIG. 13B} \left\{ \begin{array}{l} \text{Sinc2(d):} \\ y[n] = x[n] + 5x[n-1] + 10x[n-2] + 10x[n-3] + 5x[n-4] + x[n-5] \\ = x[n] + [4x[n-1] + x[n-1]] + [8x[n-2] + 2x[n-2]] + [8x[n-3] + 2x[n-3]] + [4x[n-4] + x[n-4]] + x[n-5] \end{array} \right.$$

$$\text{FIG. 13C} \left\{ \begin{array}{l} \text{Sinc2(e):} \\ y[n] = x[n] + 6x[n-1] + 15x[n-2] + 20x[n-3] + 15x[n-4] + 6x[n-5] + x[n-6] \\ = x[n] + [4x[n-1] + 2x[n-1]] + [16x[n-2] - x[n-2]] + [16x[n-3] + 4x[n-3]] \\ + [16x[n-4] - x[n-4]] + [4x[n-5] + 2x[n-5]] + x[n-6] \end{array} \right.$$





Sinc2(e):

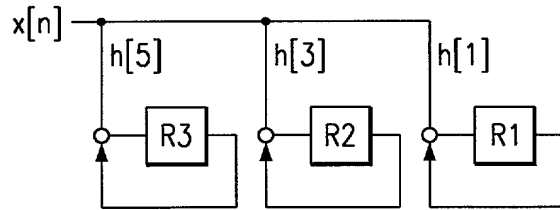


FIG. 17A

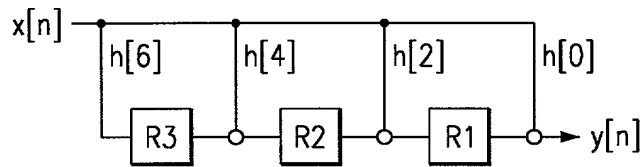


FIG. 17B

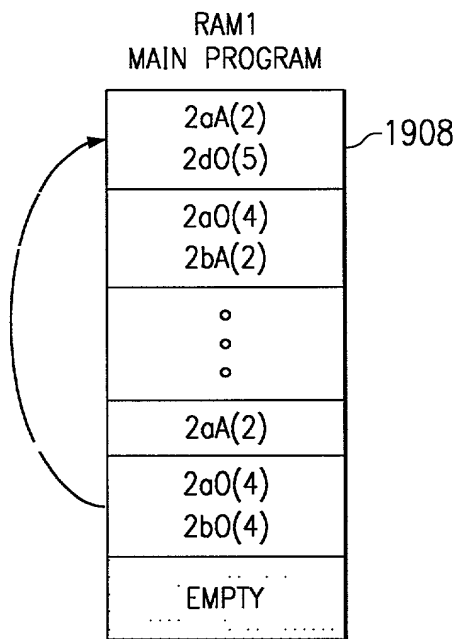


FIG. 19A

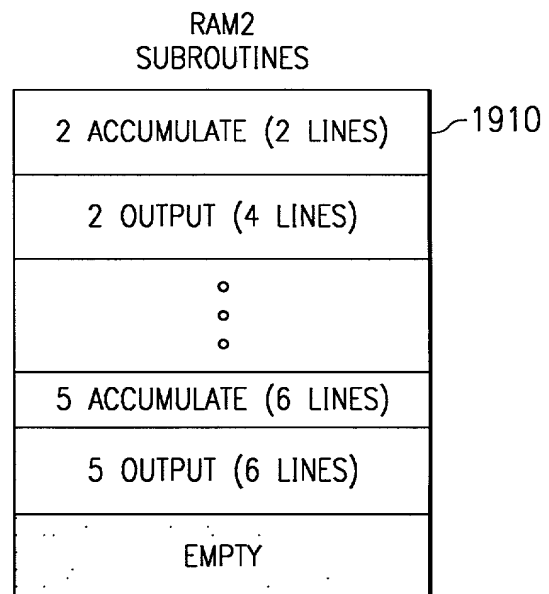
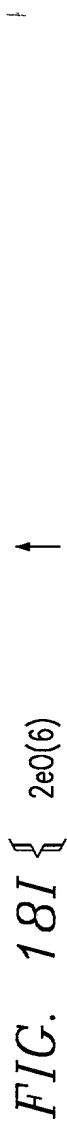


FIG. 19B



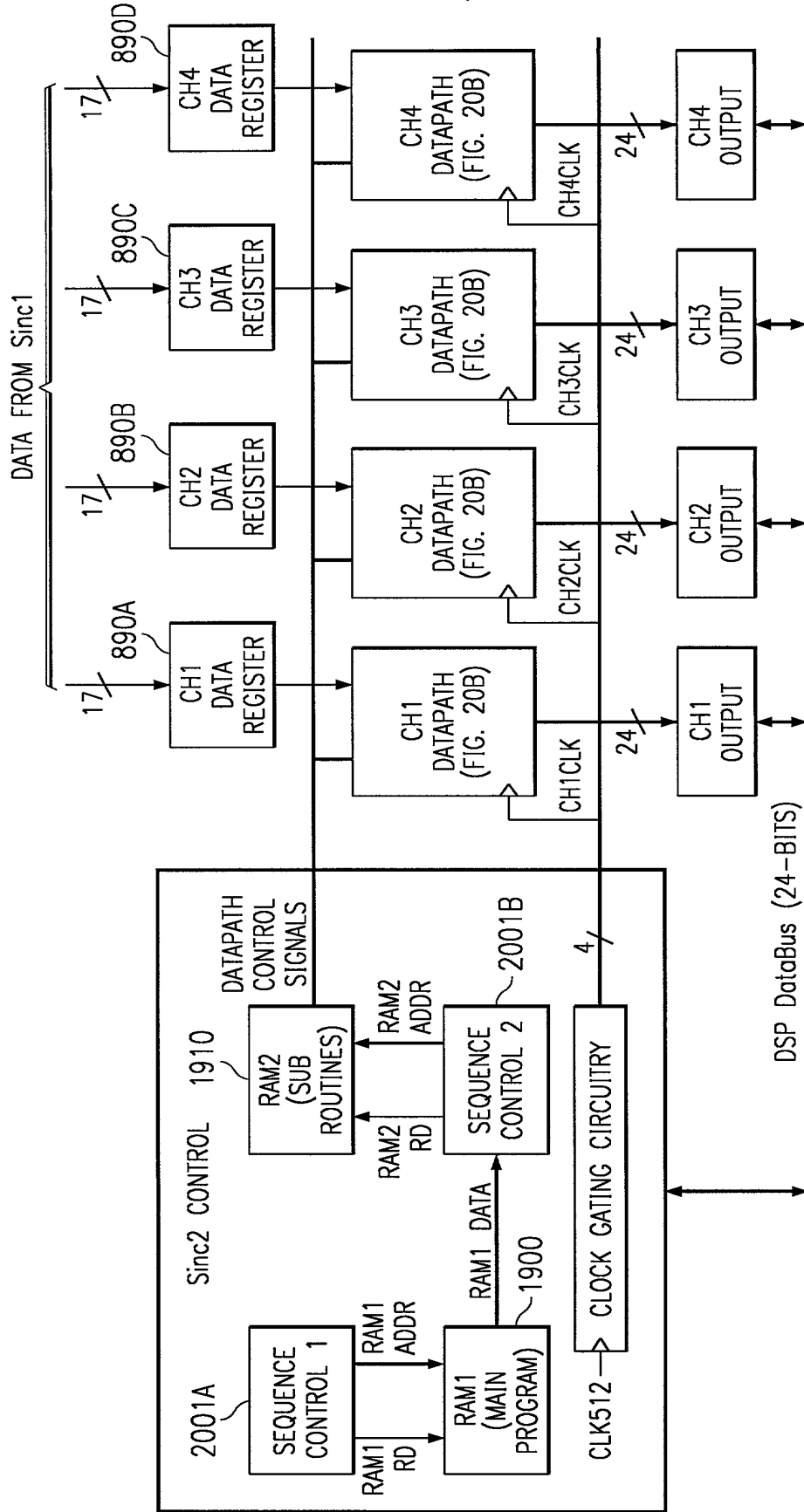


FIG. 20A

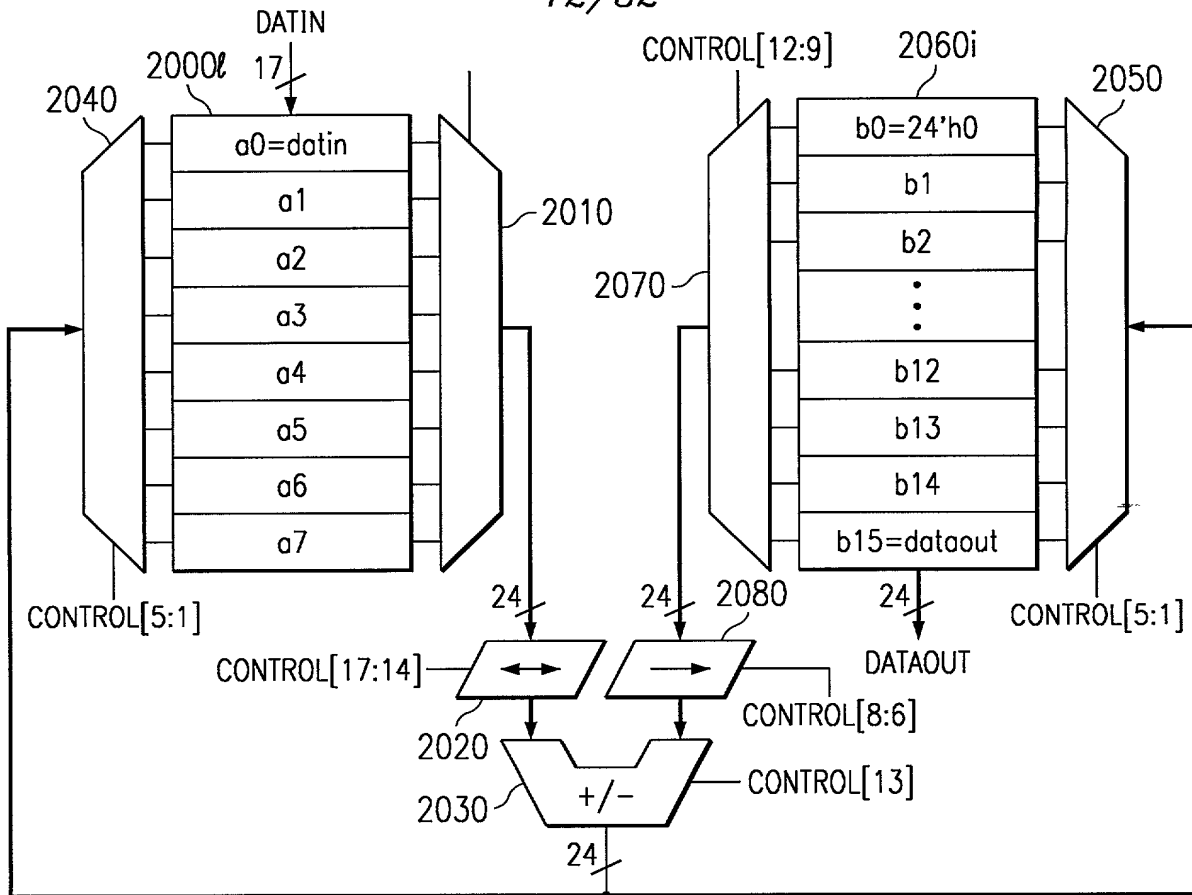


FIG. 20B

## PROGRAMMING PROCEDURE:

1. SELECT DECIMATION RATE.
2. SELECT REQUIRED MINI-SINCS AND ASSOCIATED ACCUMULATE AND OUTPUT SUBROUTINES.
3. SEPARATE COEFFICIENTS INTO FORM SUITABLE FOR SHIFT-ADD OPERATIONS.
4. CHECK FOR OVERFLOW AFTER EACH ADDITION IN THE FILTER.
5. PERFORM NECESSARY TRUNCATION TO 24 BITS AND SCALING OF SUBSEQUENT COEFFICIENTS IN MINI-SINCS.
6. TIME MULTIPLEX ACCUMULATE AND OUTPUT SUBROUTINES SO THAT A MAXIMUM OF 8 ADDITIONS/SUBTRACTIONS ARE PERFORMED FOR EACH INPUT FROM SINC1.
7. CREATE CODE FOR RAM2 (ACCUMULATE AND OUTPUT SUBROUTINES) IN THE FORM: [Coeff 1] [Src 1] [Src 2] [Dest] [Coeff2] [Done Subroutine]
8. CREATE CODE FOR RAM1 (MAIN CONTROL CODE)  
[Line #] [Wait for new data] [Done program]

FIG. 21

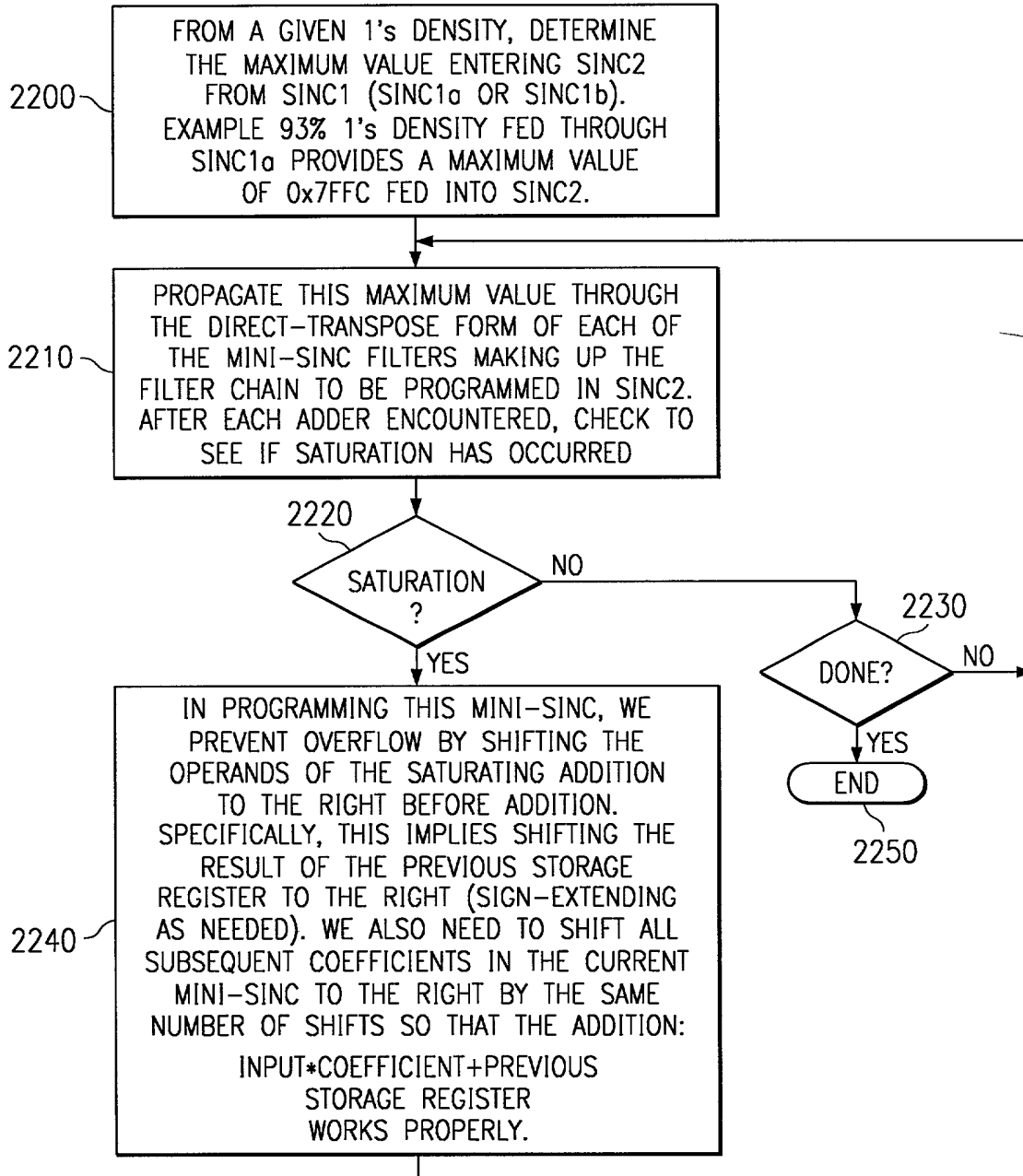


FIG. 22

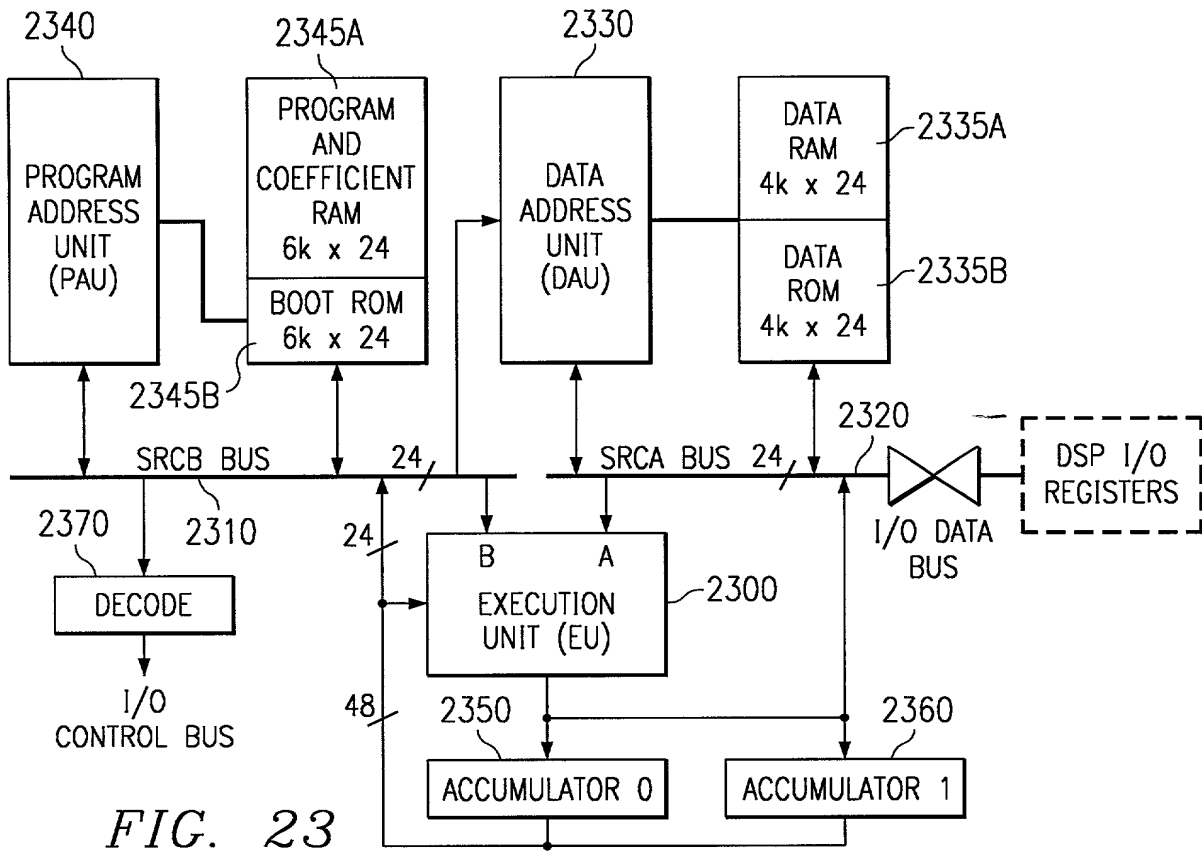


FIG. 23

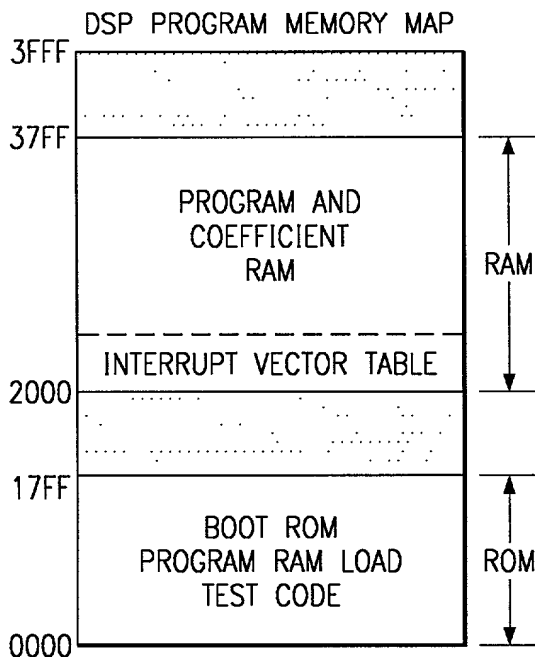


FIG. 24A

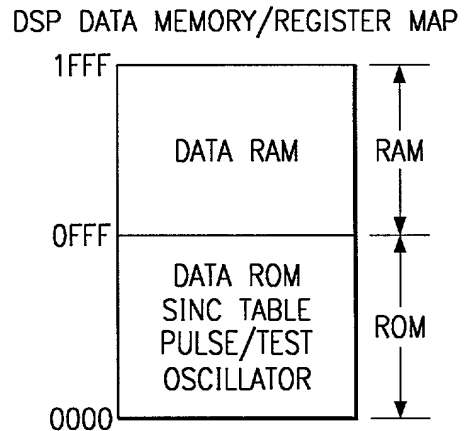


FIG. 24B

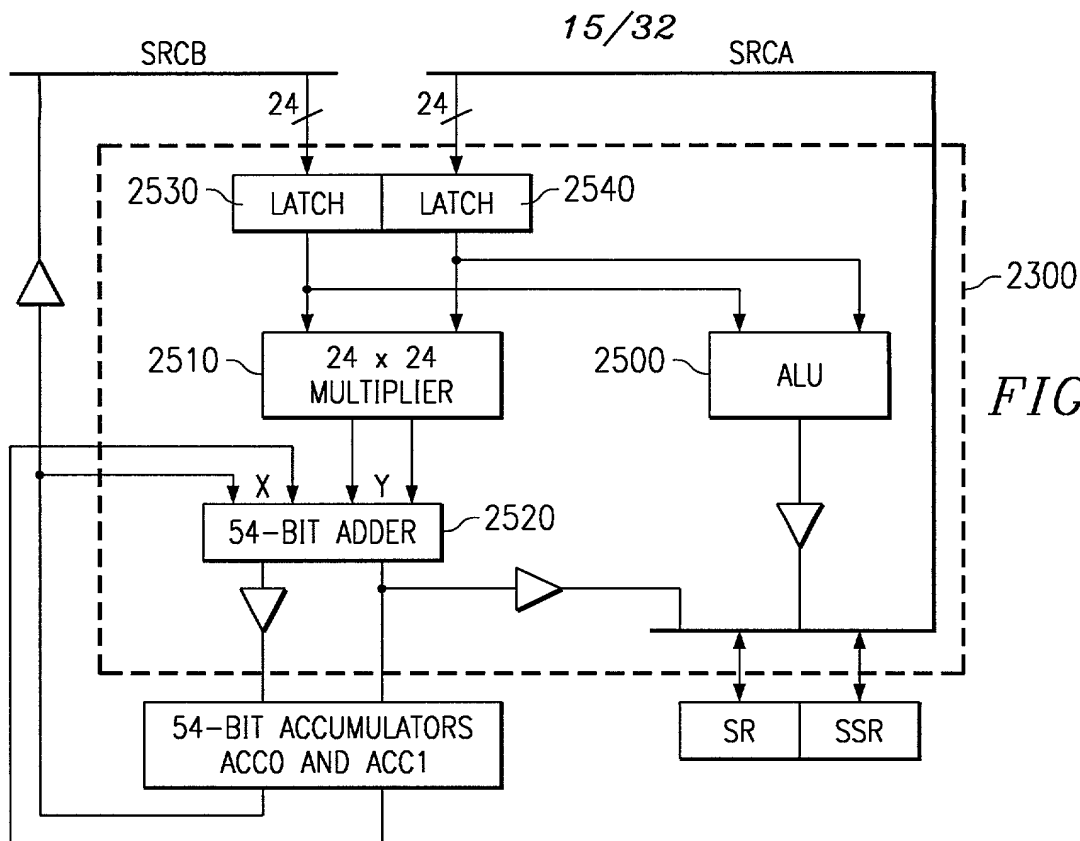


FIG. 25

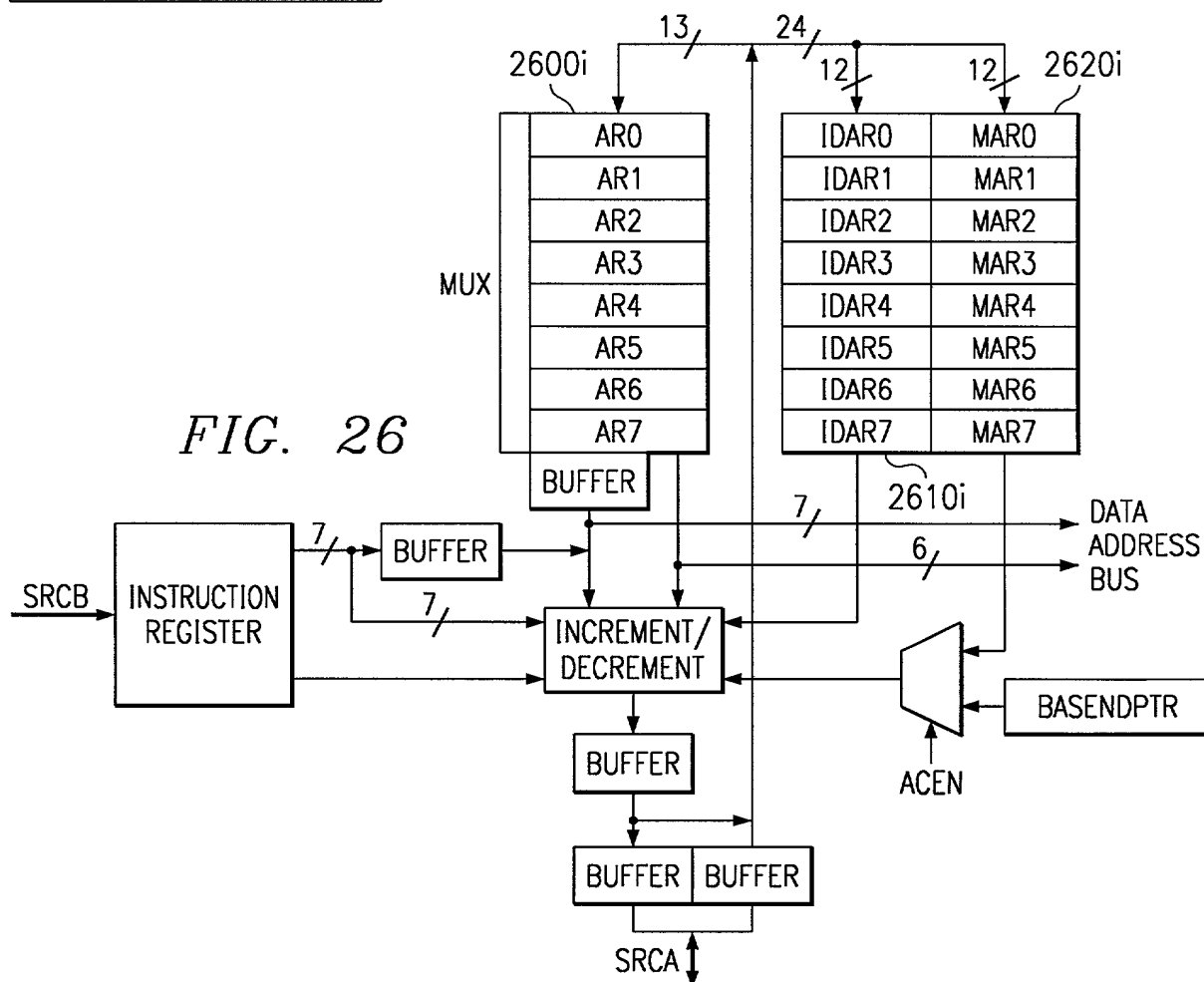


FIG. 26

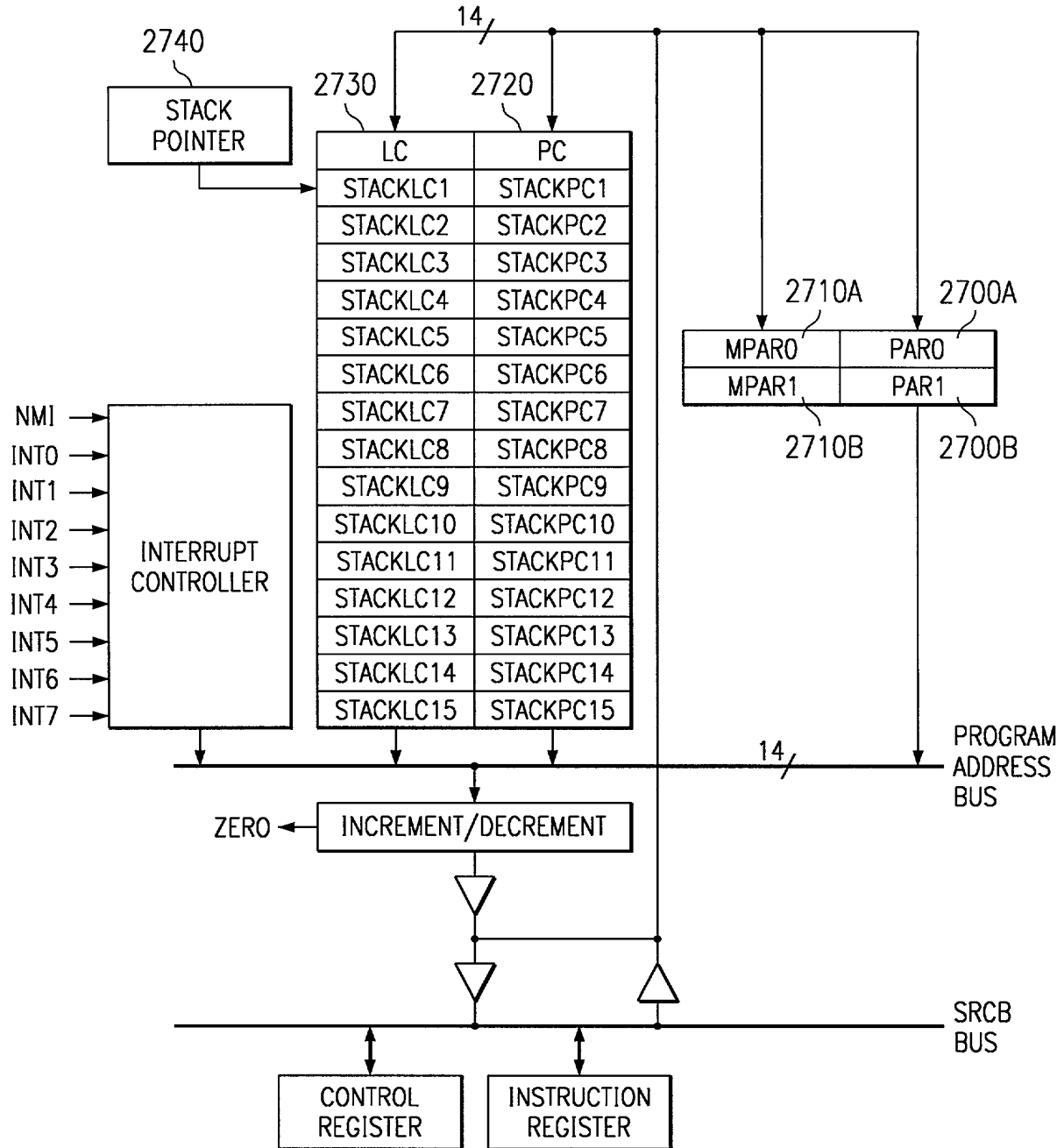


FIG. 27



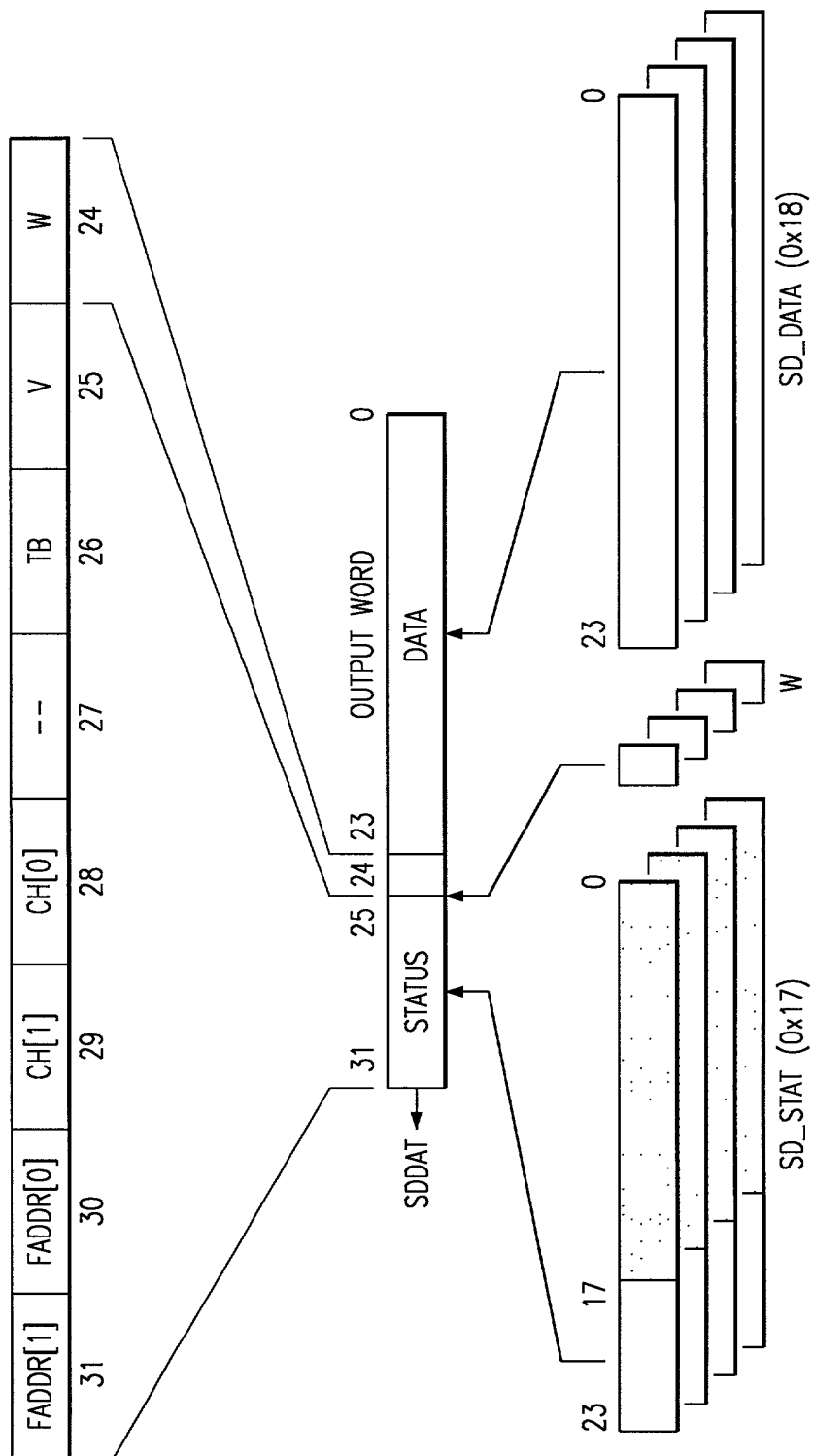


FIG. 28

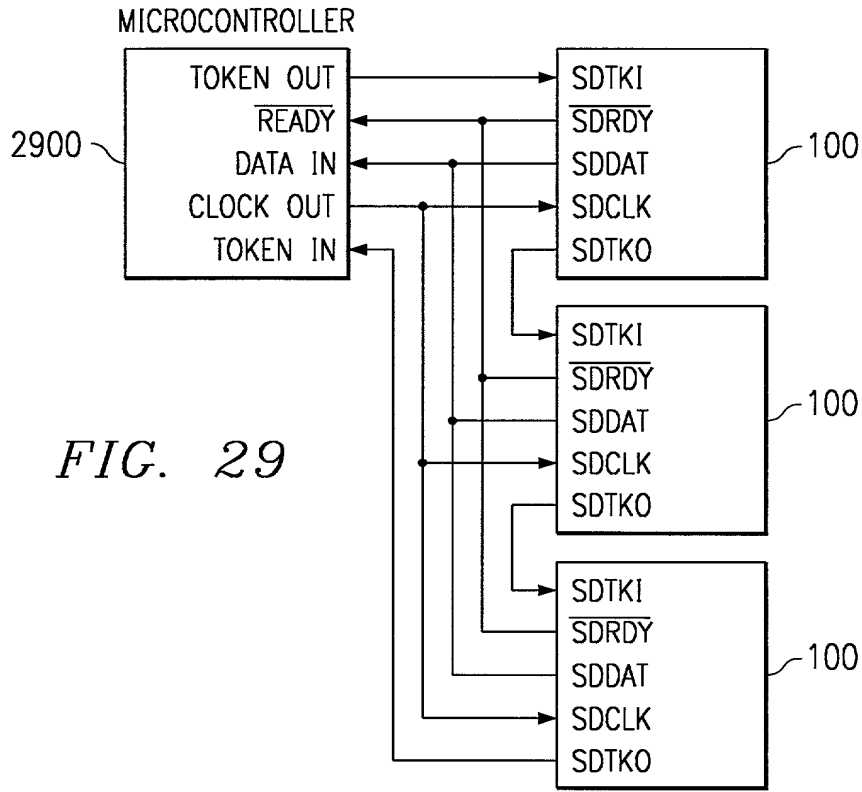


FIG. 29

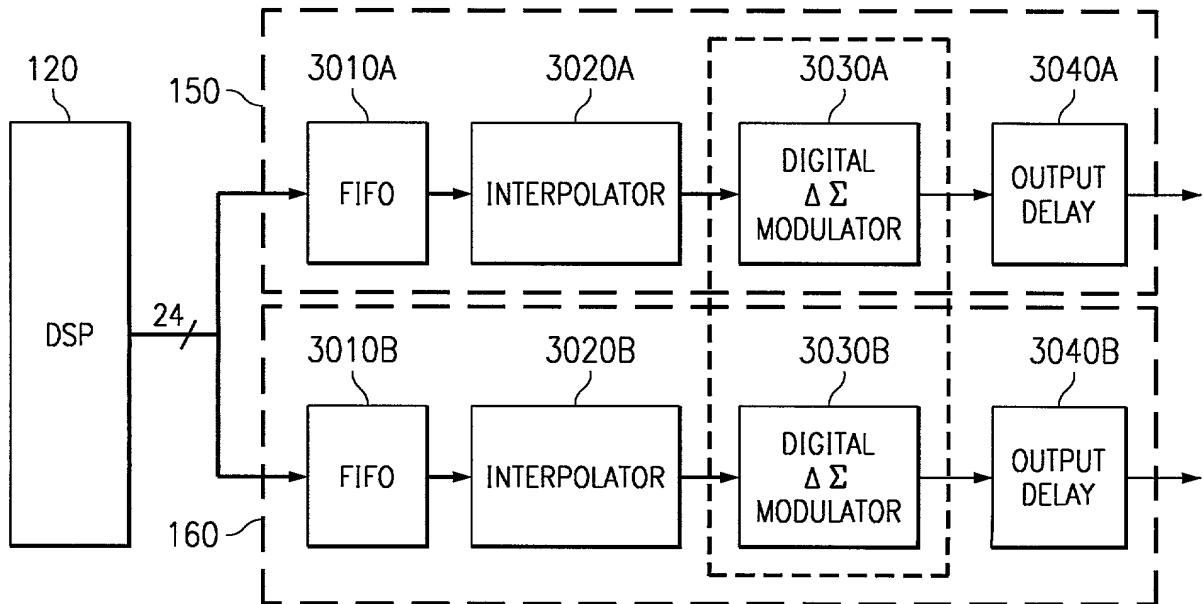


FIG. 30A

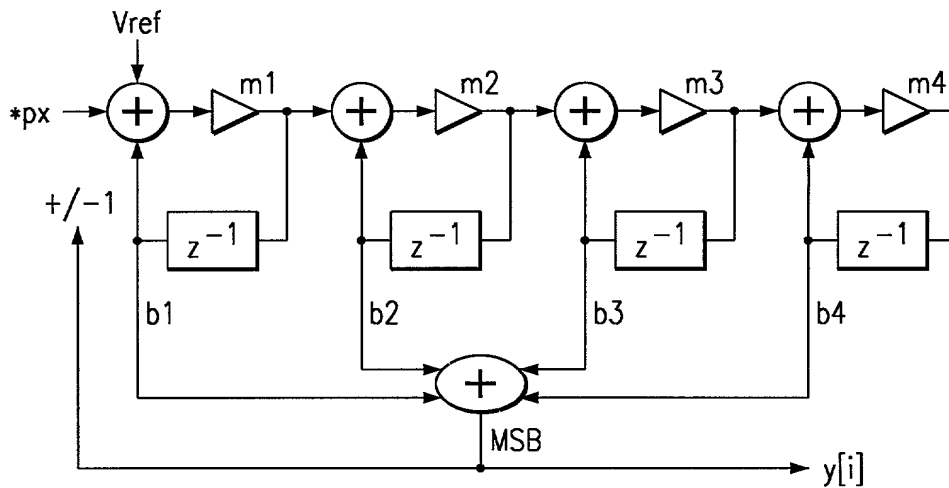


FIG. 30B

FIG. 30C-1 — WIRE

FIG. 30C-2  $\frac{24}{/}$  24 WIRES


FIG. 30C-3  REGISTER


FIG. 30C-4  MULTIPLEXER

FIG. 30C-5  TRISTATE BUFFER


FIG. 30C-6  INVERTER

FIG. 30C-7  EXCLUSIVE OR GATE


FIG. 30C-8  ADDER


FIG. 30C-9  MULTIPLIER

FIG. 30C-10  RIGHT SHIFTER

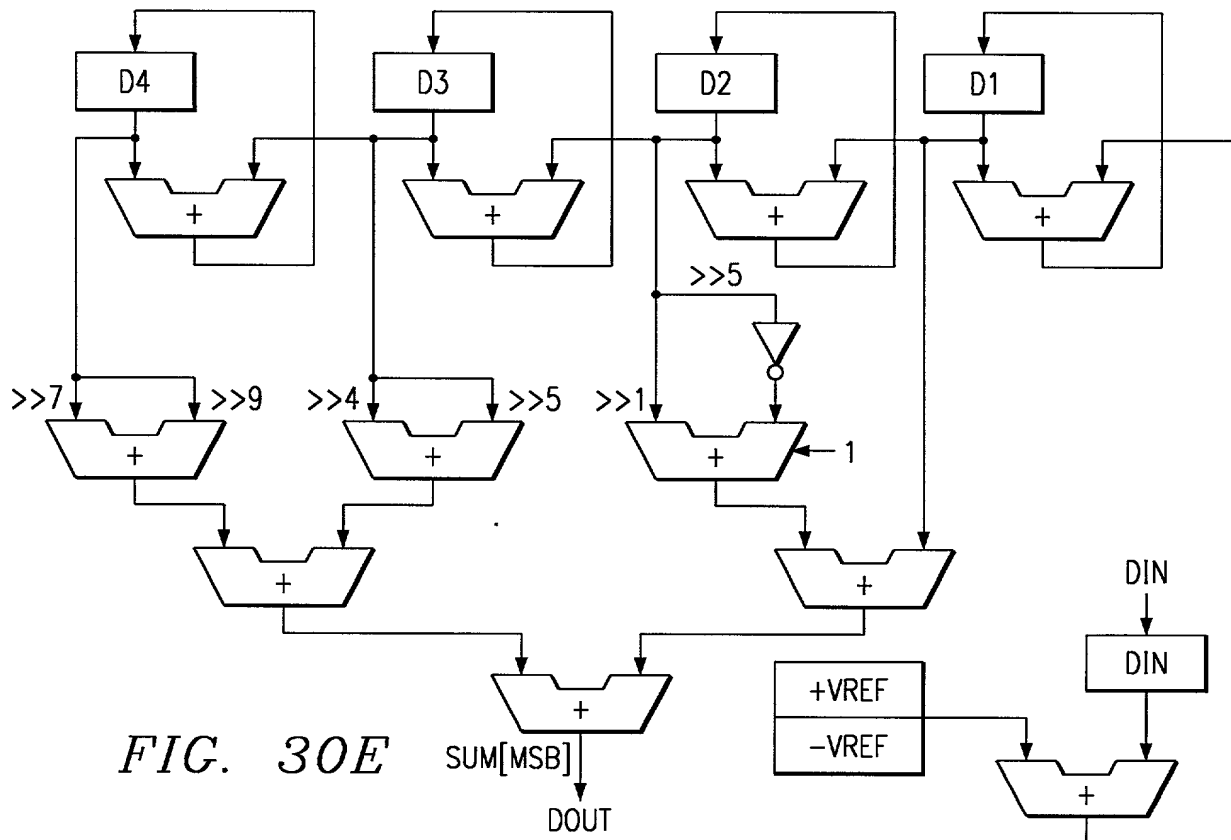
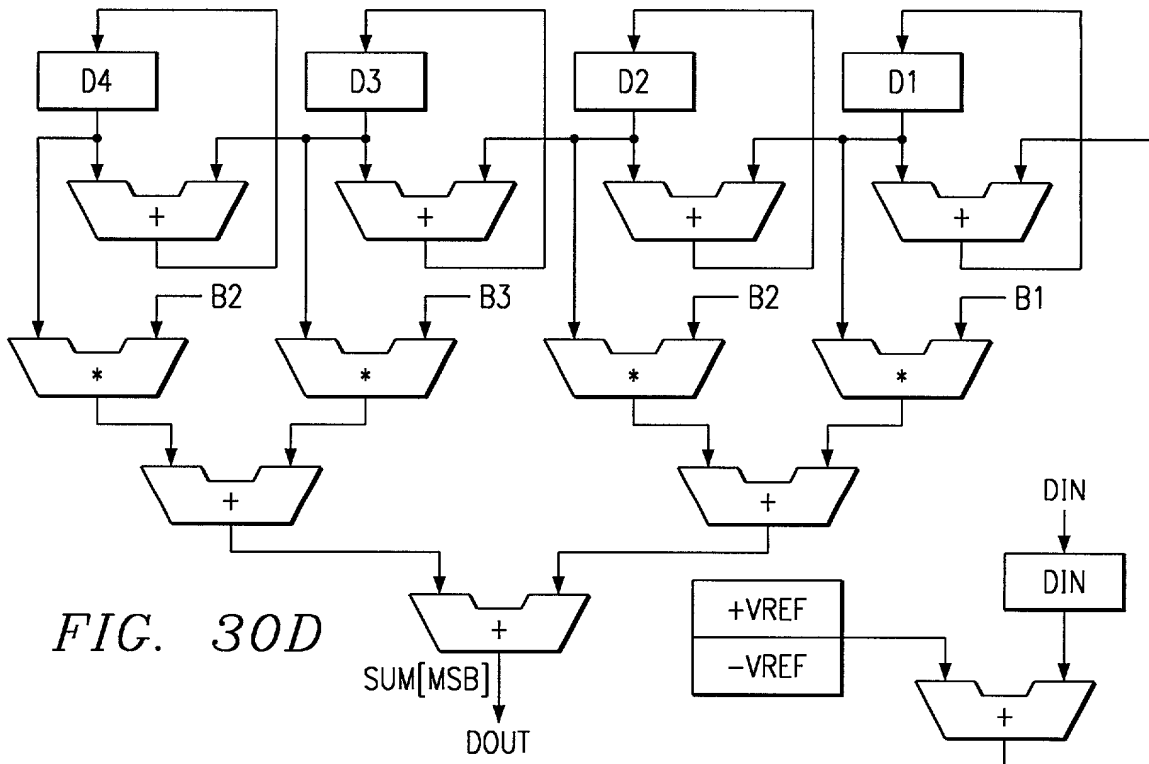


FIG. 30F-1

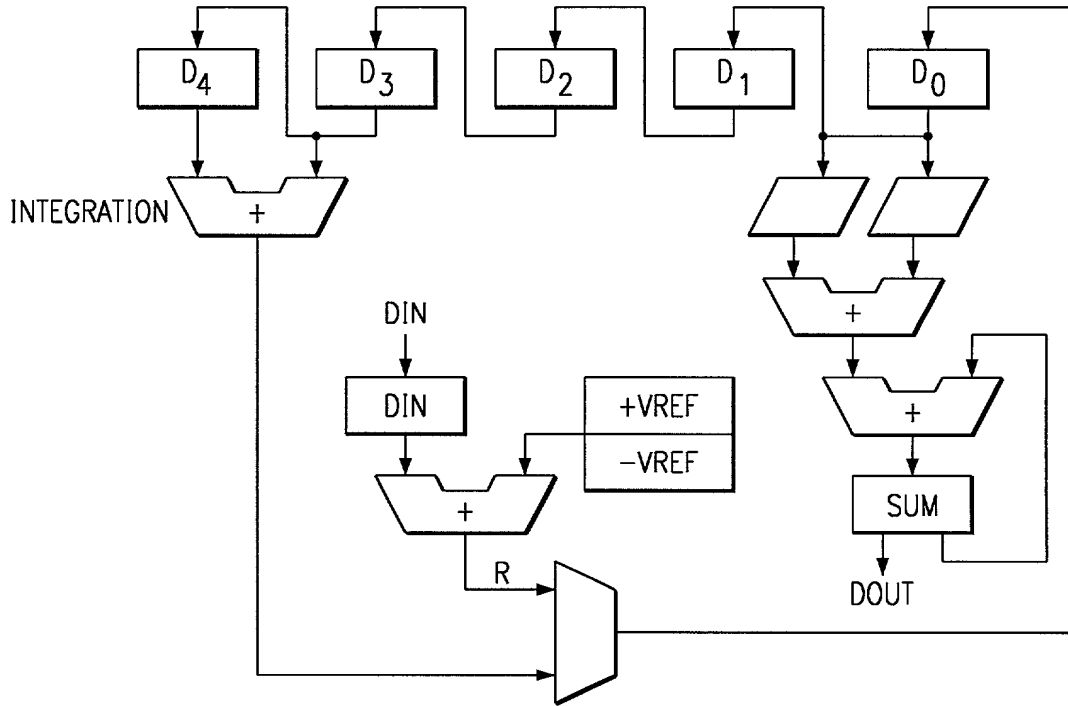


FIG. 30F-2

STATE	ACTIONS DURING STATE		
S0	$D_0(D4_k) = D_4(D4_{k-1}) + D_3(D3_{k-1})$	CLEAR SUM	LOAD $DIN_k$
S1	$D_0(D3_k) = D_4(D3_{k-1}) + D_3(D2_{k-1})$	$SUM_k += D_0(D4_k) \gg \text{Shift4}$	
S2	$D_0(D2_k) = D_4(D2_{k-1}) + D_3(D1_{k-1})$	$SUM_k += D_0(D3_k) \gg \text{Shift3}$	
S3	$D_0(D1_k) = D_4(D1_{k-1}) + D_3(R_{k-1})$	$SUM_k += D_0(D2_k) \gg \text{Shift2}$	
S4		$SUM_k += D_0(D1_k) \gg \text{Shift1}$	
S5	$D_0(R_k) = DIN_k +/\text{-} VREF$		

FIG. 30G-1

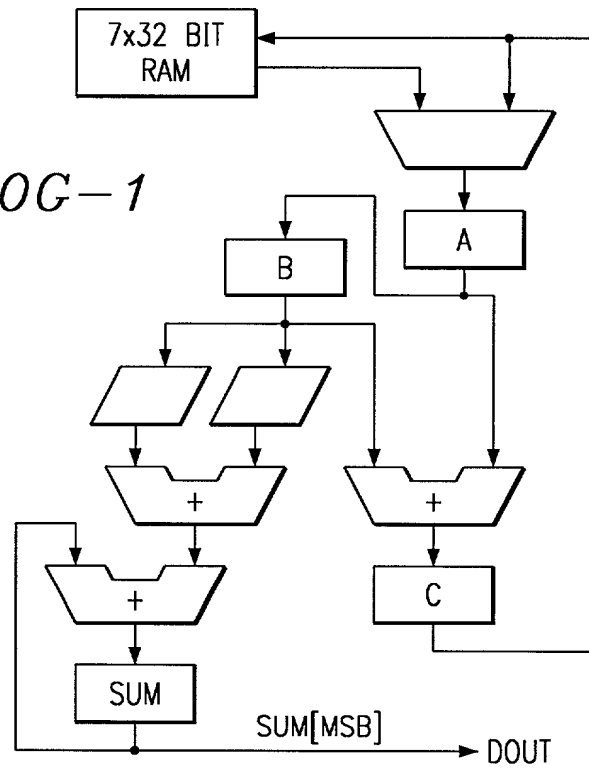
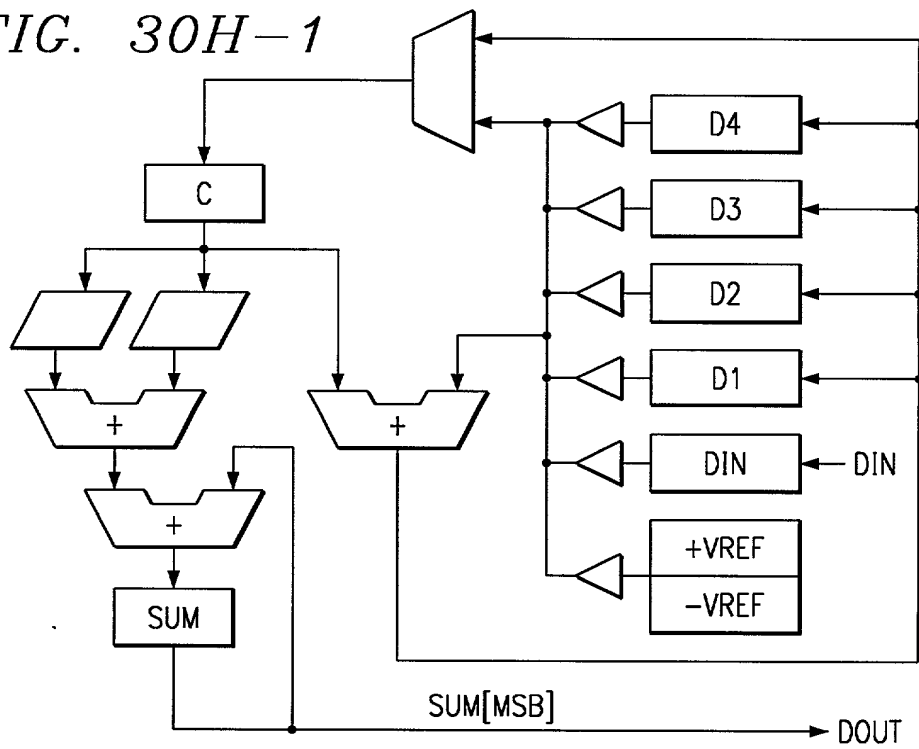


FIG. 30H-1



STATE	ACTIONS DURING STATE			
	CLEAR SUM	CLEAR C	CLEAR B	CLEAR A
S0				
S1				LOAD A<Mem(D4 <sub>k</sub> )
S2			SHIFT B<A(D4 <sub>k</sub> )	LOAD A<Mem(D3 <sub>k</sub> )
S3	SUM <sub>k</sub> += B(D4 <sub>k</sub> )>>Shift4	C = B(D4 <sub>k</sub> ) + A(D3 <sub>k</sub> )	SHIFT B<A(D3 <sub>k</sub> )	LOAD A<Mem(D2 <sub>k</sub> )
S4				STORE C>Mem(D4 <sub>k+1</sub> )
S5	SUM <sub>k</sub> += B(D3 <sub>k</sub> )>>Shift3	C = B(D3 <sub>k</sub> ) + A(D2 <sub>k</sub> )	SHIFT B<A(D2 <sub>k</sub> )	LOAD A<Mem(D1 <sub>k</sub> )
S6				STORE C>Mem(D3 <sub>k+1</sub> )
S7	SUM <sub>k</sub> += B(D2 <sub>k</sub> )>>Shift2	C = B(D2 <sub>k</sub> ) + A(D1 <sub>k</sub> )	SHIFT B<A(D1 <sub>k</sub> )	LOAD A<Mem(DIN <sub>k</sub> )
S8				STORE C>Mem(D2 <sub>k+1</sub> )
S9	SUM <sub>k</sub> += B(D1 <sub>k</sub> )>>Shift1	C = B(D1 <sub>k</sub> ) + A(DIN <sub>k</sub> )	SHIFT B<A(DIN <sub>k</sub> )	LOAD A<Mem(VREF)
S10			SHIFT B<A(VREF)	LOADREG A<C(TEMP)
S11		C = +/- B(VREF) + A(TEMP)		
S12				STORE C>Mem(D1 <sub>k+1</sub> )

FIG. 30C-2

STATE	ACTIONS DURING STATE		
	CLEAR SUM	LOAD C < D4 <sub>k</sub>	LOAD DIN <sub>k</sub>
S0			
S1	SUM <sub>k</sub> += C(D4 <sub>k</sub> ) >> Shift4	LOAD C < D3 <sub>k</sub>	D4 <sub>k+1</sub> = C(D4 <sub>k</sub> ) + D3 <sub>k</sub>
S2	SUM <sub>k</sub> += C(D3 <sub>k</sub> ) >> Shift3	LOAD C < D2 <sub>k</sub>	D3 <sub>k+1</sub> = C(D3 <sub>k</sub> ) + D2 <sub>k</sub>
S3	SUM <sub>k</sub> += C(D2 <sub>k</sub> ) >> Shift2	LOAD C < D1 <sub>k</sub>	D2 <sub>k+1</sub> = C(D2 <sub>k</sub> ) + D1 <sub>k</sub>
S4	SUM <sub>k</sub> += C(D1 <sub>k</sub> ) >> Shift1	C(TEMP) = C(D1 <sub>k</sub> ) + DIN <sub>k</sub>	
S5			D1 <sub>k+1</sub> = C(TEMP) +/- VREF

FIG. 30H-2



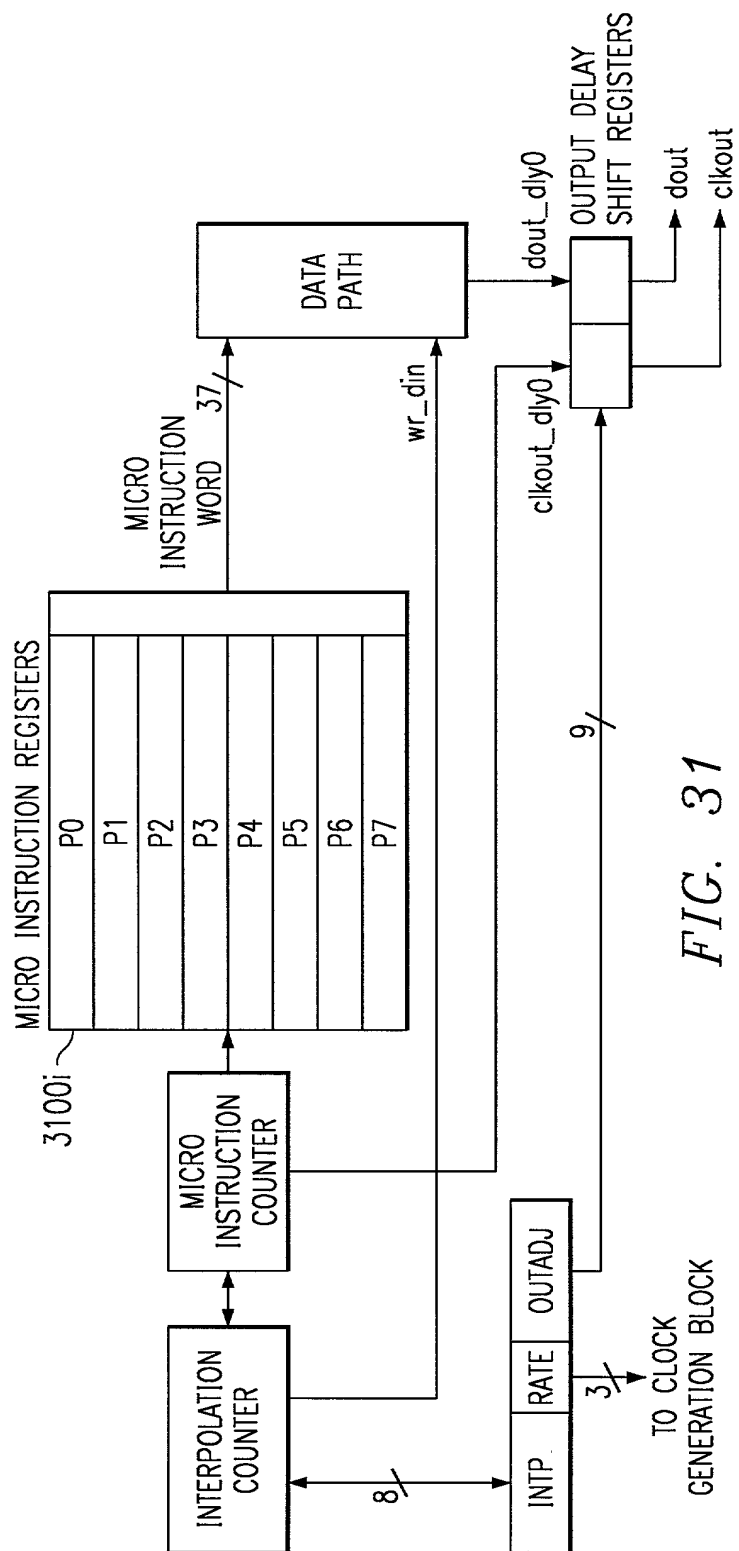


FIG. 31

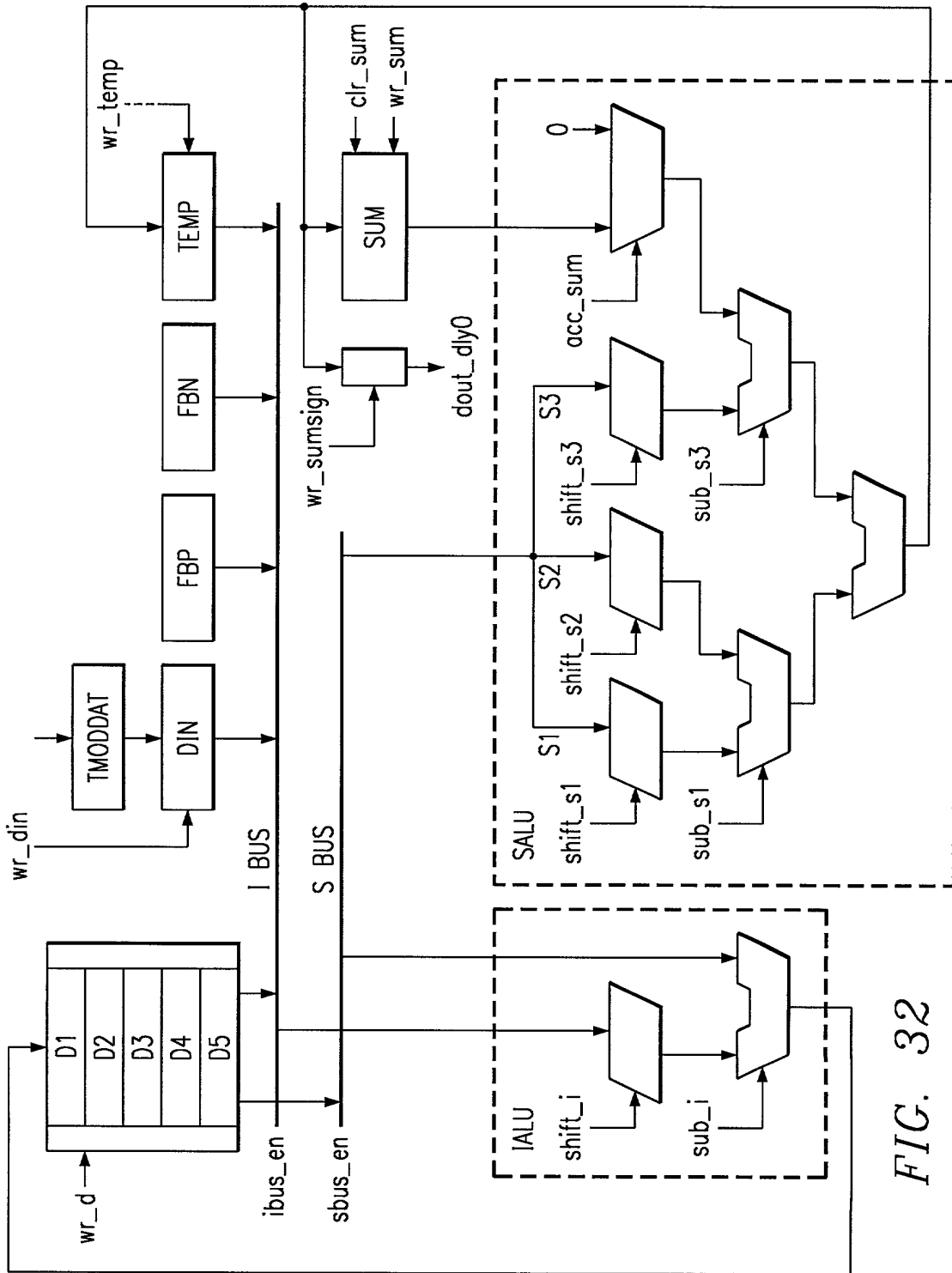
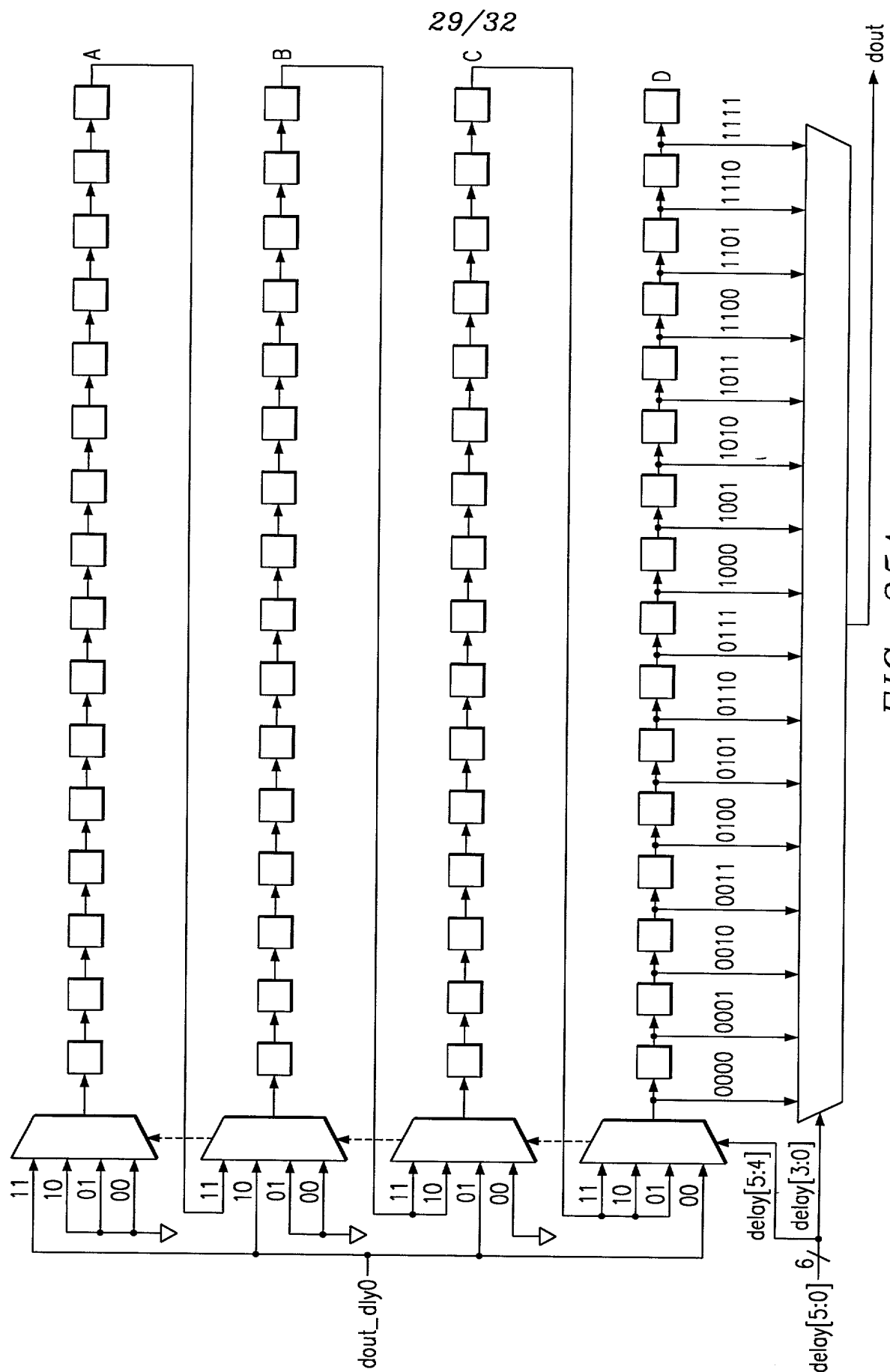


FIG. 32

P	Feedforward	INTEGRATION	TEMP	DIN	SUM	SUMSIGN	TEMP	S BUS	I BUS	WRITE I
0	$SUM_k = D4_k > 11$ + $D4_k > 9$ + $D4_k > 7$	$D4_{k+1} = D4_k + D3_k$		LOAD DIN <sub>k</sub>	WRITE			+ $D4_k > 7$ + $D4_k > 9$ + $D4_k > 11$	+D3	D4
1	$SUM_k = SUM_k$ + $D3_k > 8$ + $D3_k > 5$ + $D3_k > 4$	$D3_{k+1} = D3_k + D2_k$			ACC./ WRITE			+ $D3_k > 4$ + $D3_k > 5$ + $D3_k > 8$	+D2	D3
2	$SUM_k = SUM_k$ + $D2_k > 1$ = $D2_k > 7$ = $D2_k > 4$	$D2_{k+1} = D2_k + D1_k$			ACC./ WRITE			- $D2_k > 4$ + $D2_k > 1$ - $D2_k > 7$	+D1	D2
3	$SUM_k = SUM_k$ + $D1_k$	$D1_{k+1} = D1_k + DIN_k$			ACC./ WRITE	WRITE		+D1 +D1 -D1	+DIN	D1
4		$D1_{k+1} = D1_{k+1} + /- VREF$							+FB	D1
5										
6										
7										

FIG. 33





dout_dly0	DATA OUTPUT BIT, 0 DELAY
dout	DATA OUTPUT BIT, 0-63 CLOCK DELAY
delay[5:0]	HOW MANY CLOCKS (0-63) TO DELAY OUTPUT DATA dout_dly0
delay[5:4]	SELECTS SEGMENT INTO WHICH TO DIRECT dout_dly0
delay[3:0]	SELECTS WHERE TO TAP SEGMENT D TO GET dout

FIG. 35B

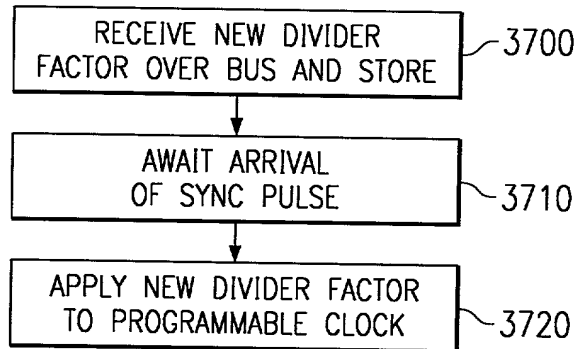
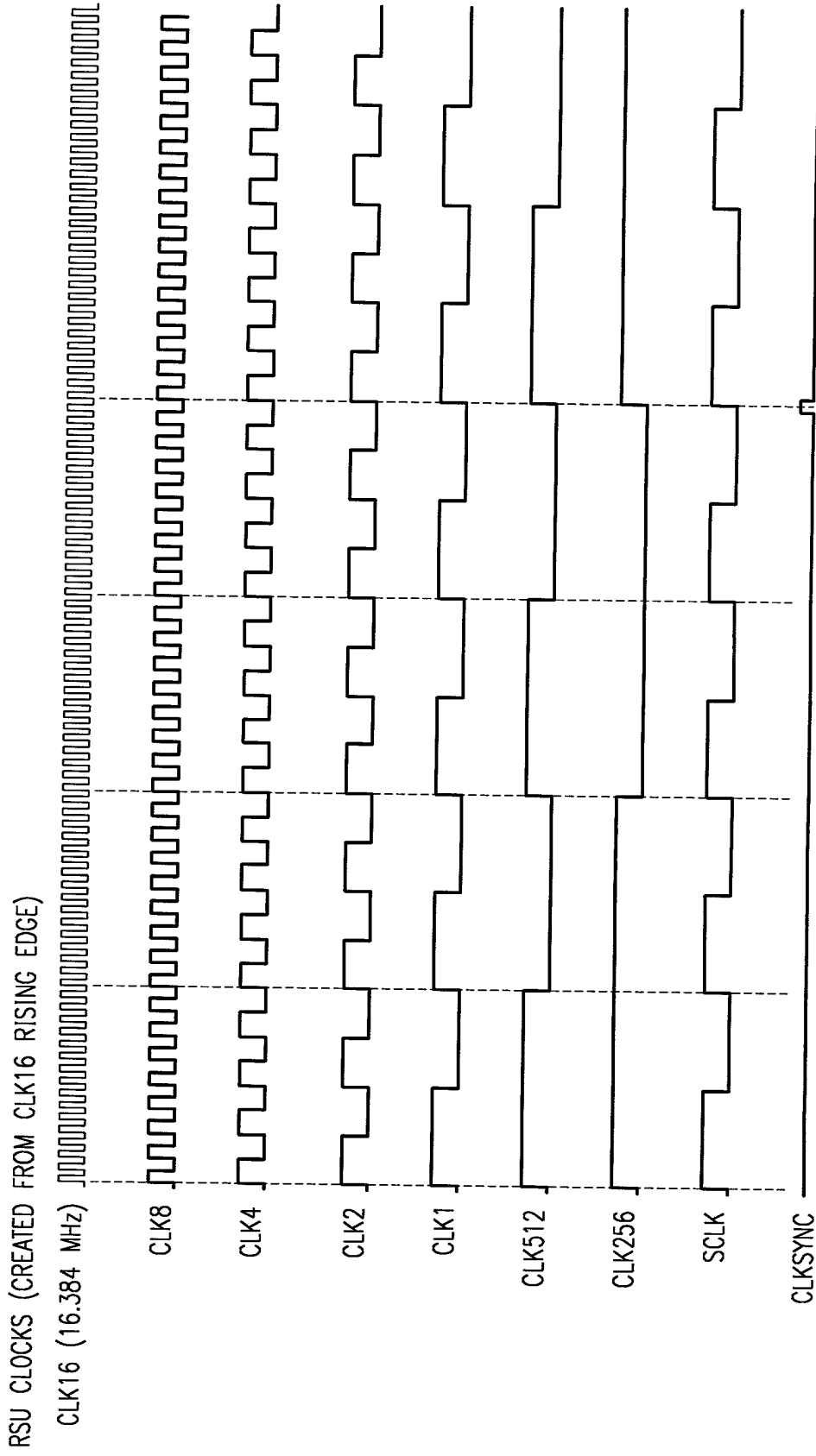


FIG. 37



TO FIG. 36B

FIG. 36A

FIG. 36B

